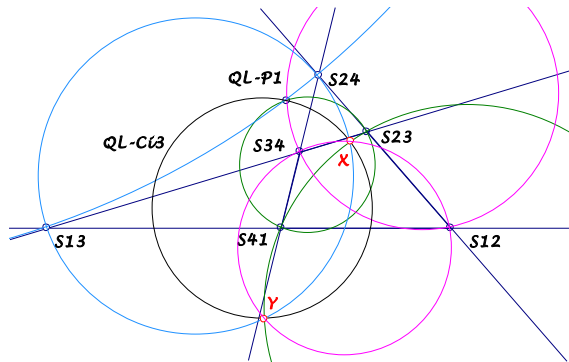


Background for these notes is:
 Chris van Tienhoven: Encyclopedia of Quadri-Figures
<http://chrisvantienhoven.nl/>

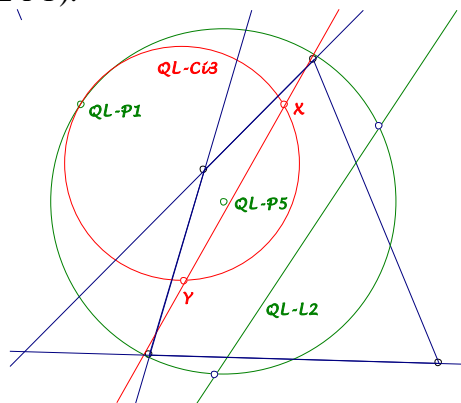
Orthocentric Pedal Quadrangles

For a quadrigon the pedal quadrangle of the Isogonal Center $QA-P4$ is a parallelogram; for a quadrilateral the pedal quadrangle of the Miquel Point $QL-P1$ degenerates collinear on $QL-L3$. Here for a quadrilateral two points are described, whose pedal quadrangle are orthocentric. These points – without their property – are already mentioned by Clawson (Ref. EQF [22], page 248 (38)).

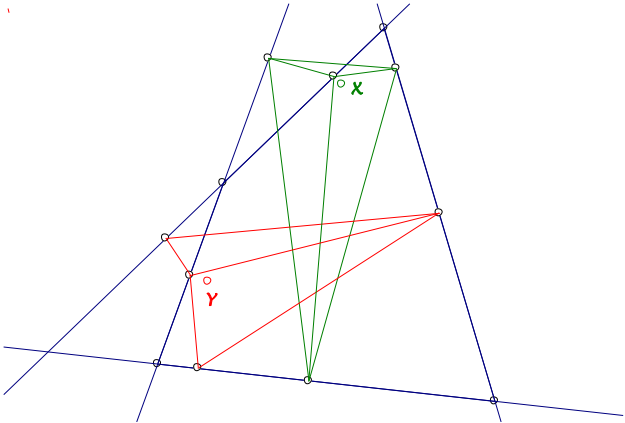


Clawson describes two points X, Y on the “circumcentric circle” – in *EQF* Miquel Circle $QL-Ci3$ – as common intersections of circles through $S_{i,j}$ and $S_{k,l}$, orthogonal to the circumcircle through the Miquel Point $QL-P1$ and $S_{i,j}$ and $S_{k,l}$ ($S_{i,j}$ intersection of L_i and L_j).

You get these points X and Y also as Clawson-Schmidt Conjugate $QL-Tf1$ of the Plücker Pair of Points $QL-2P1$ (intersections of the Steiner Line $QL-L2$ and a circle round $QL-P5$ through $QL-P1$).



The points X and Y have orthocentric pedal quadrangles.



This property is only Cabri-controlled; a calculation with barycentric coordinates is very extensive.

Eckart Schmidt
<http://eckartschmidt.de>
eckart_schmidt@t-online.de