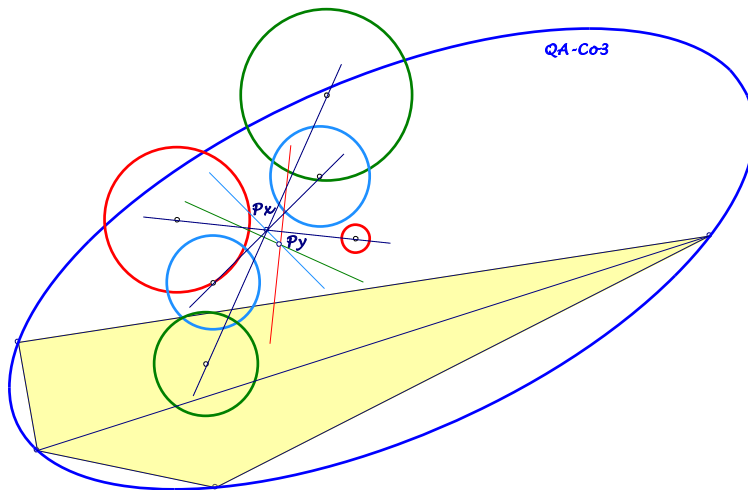


Background for these notes is:
Chris van Tienhoven:
Encyclopedia of Quadri-Figures and Poly Geometry
<http://www.chrisvantienhoven.nl/>

New QA-Points related to QA-P4 and QA-Co3

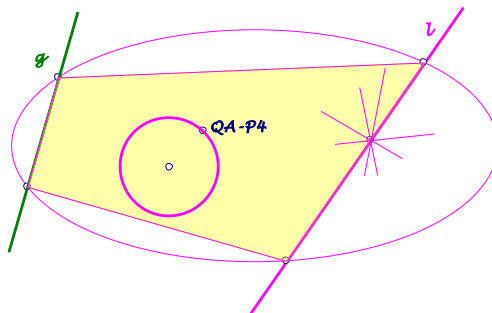
Starting with a special property of QA-P4, mentioned by Roland Stärk (EQF-Ref. [16],16), there are two new QA-points wrt the conic QA-Co3.



Roland Stärk describes the following property of QA-P4, which he named “Tangentialpunkt”:

- **If a conic is intersected by lines l of a line pencil and another line g , the locus of QA-P4 for the intersection quadrangles is a circle.**

(This circle degenerates to a line, if the conic is an orthogonal hyperbola or if the line pencil consists of parallels.)



Here we consider the conic QA-Co3 of a quadrangle,
... the line pencil of QA-P3, center of QA-Co3
... and the six lines of the quadrangle.

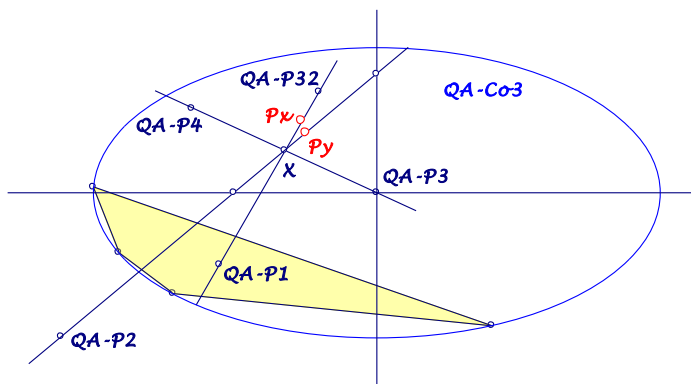
In this way we get six circles, three pairs for opposite sides of the quadrangle (see first figure).

- The center lines of the three circle pairs have a common point P_x .
- The radical axes of the three circle pairs have a common point P_y .

These two points have their connections in QA -geometry:

Let X be the intersection of $QA-P3, QA-P4$ and $QA-P1, QA-P32$.

- P_x is the midpoint of $X, QA-P32$.
- P_y is the midpoint of the intersections of the $QA-Co3$ -axes and $X, QA-P2$.



The points P_x, P_y can also be studied, taking any circumconic of the quadrangle and its center.

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